

## «Black holes»

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**Abstract.** We will talk about the properties of “black spheres” called “black holes”, within the framework of the properties of dynamic space-matter, which are subject to experimental testing. First of all, the presence of new quanta in the cores of planets, in the cores of stars, in the cores of galaxies, in the cores of quasars and in the cores of quasar galaxies. And first of all, stable quanta of the new substance.

**Key words:** space-matter, mass induction, gravity, vacuum.

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### 1.Introduction.

It is generally accepted (in 2020) that there is a “supermassive compact object in the center of the Galaxy.” And there is the fact of the presence of dynamic space-matter,

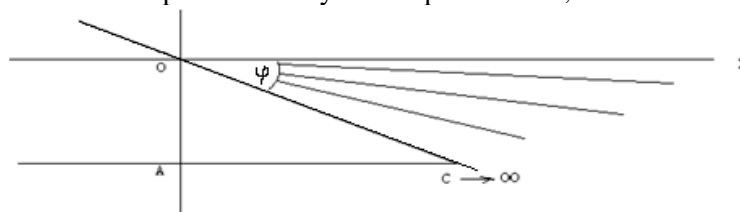
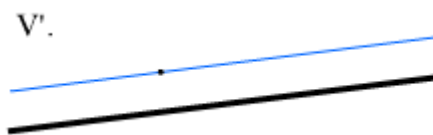
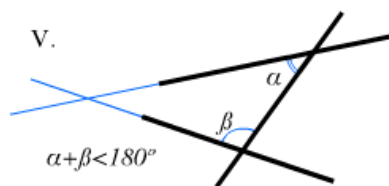


Fig. 1 dynamic space of a bunch of parallel straight lines

within the always dynamic ( $\varphi \neq const$ ) angle of parallelism. There is no matter outside space, and there is no space without matter, therefore space, as a form of matter, is one whole. Infinity

( $AC \rightarrow \infty$ ) cannot be stopped, therefore such dynamic space-matter always exists. The main property of matter, motion, is represented by dynamic space-matter, with non-stationary Euclidean space. The limiting case ( $(\varphi = 0) = const$ ) of ( $(\varphi \neq 0) = const$ ) dynamic space-matter is the Euclidean axiomatics and Riemannian space in particular.

1. “A point is something of which nothing is a part”) (“Principles” by Euclid) . and is a Point something that has no parts,
2. Line - length without width.
3. and 5th postulate about parallel straight lines that do not intersect. If a straight line intersecting two straight lines forms interior one-sided angles less than two right angles, then, extended indefinitely, these two straight lines will meet on the side where the angles are less than two right angles.



or

rice. 2 Euclidean axiomatics

Within the framework of the Euclidean ( $\varphi = 0$ ) axes grid, we do not see dynamic ( $X+ = Y-$ ), ( $X- = Y+$ ) space-matter, and we will not be able to imagine it. Therefore, the axioms of dynamic space-matter are introduced as facts that do not require proof. Already in these axioms the problem of the Euclidean axiomatics of a point, as a set of indivisible sphere-points, is solved in one indivisible sphere-point, but already on ( $n$ ) convergence, dynamic space-matter.

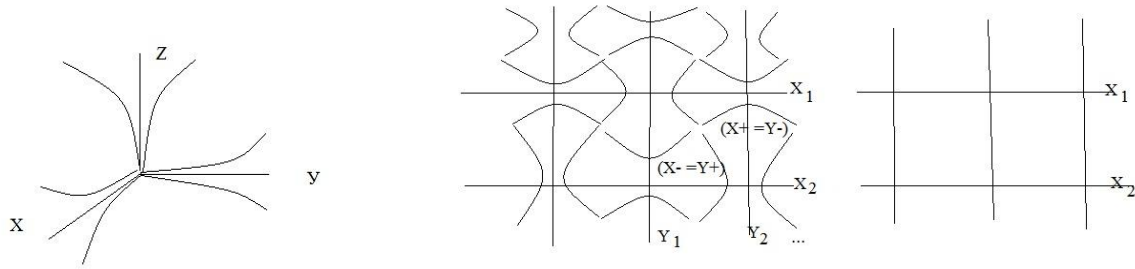


Fig.3 dynamic space-matter/

Any fixation (in experiments) of a non-zero ( $\varphi \neq 0$ ) angle of parallelism gives a multi-leaf Riemannian space.

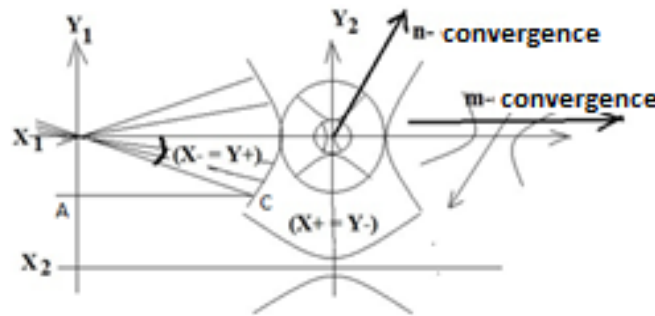


Fig. 3a. dynamic space-matter

This means that when moving along the line AC, there is always a space (X-) that we cannot get into. Infinity cannot be stopped. Therefore, the dynamic (X-) space-matter of a bundle of parallel straight lines always exists. The second point is that Lobachevsky considered his geometry, "pan geometry", to be imaginary, that is, real at large distances. In our case, at large OA, the angle of parallelism increases, and at small values of OA, at small distances, Lobachevsky's geometry turns into Euclidean geometry. That is, the angle of parallelism converges to zero. But at small distances of the vector AC, in the microworld, on the contrary, the angle of parallelism is limiting, with the known uncertainty principle. Orthogonal bundles of straight lines-trajectories have their own external  $(X+)$  fields  $(Y+)$ . They form Indivisible Localization Regions  $(X\pm)$ ,  $(Y\pm)$ . In this case, Euclidean space with a non-zero and dynamic angle ( $\varphi \neq const$ ) of parallelism in each of its (XYZ) axes loses its meaning. But this is a real (X-), along the axis (X), space of a dynamic bundle of straight lines, which we do not see in Euclidean space. In 2-dimensional space, the zero angle of parallelism ( $\varphi=0$ ) for (X-) and (Y-) lines gives Euclidean straight lines. In the limiting case of the zero angle of parallelism ( $\varphi=0$ ) in each axis, the dynamic space-matter passes into Euclidean space, as a special case of dynamic space-matter. These are deep and fundamental changes in the technology of theoretical research itself, which form our ideas about the world around us. As we see, in the Euclidean representation of space, we do not see everything. Gödel's incompleteness theorem states that any consistent formal axiomatic theory formalizing the arithmetic of natural numbers is not (absolutely) complete. This means that in any such theory there are true statements that cannot be proven within the framework of this theory. In this case there are no arguments of the truth itself, and it is questionable, and the result of the statement in Gödel's theorem is confirmed or not as reality, only in an experiment or by the fact of reality. But even here, in both cases, Gödel's theorem and experiment, in the dynamic space-matter there are (X-) or (Y-) areas, which we cannot penetrate in principle and by definition, neither in the Euclidean axioms, as the basis of all theories, nor in experiments. Moving, for example, along the ray (vector) AC, we can never get into the (X-) field. And this is a fact of reality, without any theorems.

So dynamic ( $\varphi \neq const$ ) space-matter has its geometric facts as axioms that do not require proof.

#### Axioms of dynamic space-matter

1. A non-zero, dynamic angle of parallelism ( $\varphi \neq 0$ )  $\neq const$  of a bundle of parallel lines defines mutually orthogonal parallel lines  $(X-) \perp (Y-)$  of the fields of lines - trajectories, as isotropic properties of space-matter.

2. The zero angle of parallelism ( $\varphi = 0$ ) gives "length without width" with zero or non-zero ( $Y_0$ ) radius of the sphere-point "having no parts" in the Euclidean axiomatics.
3. A bundle of parallel lines with a zero angle of parallelism ( $\varphi = 0$ ), "equally located to all its points", gives a set of straight lines in one "width less" Euclidean straight line. (**Mathematical Encyclopedia, Moscow, 1963, v4, p.13, p.14**)
4. Internal ( $X -$ ), ( $Y -$ ) and external ( $X +$ ), ( $Y +$ ) fields of the trajectory lines are non-zero  $X_0 \neq 0$  or  $Y_0 \neq 0$  material sphere-points, form an Indivisible Area of Localization  $IAL(X \pm)$  or  $IAL(Y \pm)$  dynamic space-matter.
5. In single ( $X - = Y +$ ), ( $Y - = X +$ ) In the fields of orthogonal lines-trajectories ( $X -$ )  $\perp$  ( $Y -$ ) there are no two identical spheres-points and lines-trajectories.
6. Sequence of Indivisible Area of Localization ( $X \pm$ ), ( $Y \pm$ ), ( $X \pm$ ) ..., by radius  $X_0 \neq 0$  or  $Y_0 \neq 0$  sphere-point on one line-trajectory gives ( $n$ ) convergence, and on different trajectories ( $m$ ) convergence.
7. Each Indivisible Area of Localization of space-matter corresponds to a unit of all its Criteria of Evolution – CE, in a single ( $X - = Y +$ ), ( $Y - = X +$ ) space-matter on ( $m - n$ ) convergences:  $IAL = CE(X - = Y +)CE(Y - = X +) = 1$  and  $IAL = CE(m)CE(n) = 1$ , in a system of numbers equal by analogy of units.
8. Fixing the angle ( $\varphi \neq 0$ ) = const or ( $\varphi = 0$ ) a bundle of straight parallel lines, space-matter, gives the 5th postulate of Euclid and the axiom of parallelism.

Any point of fixed lines-trajectories is represented by local basis vectors of Riemannian space:

$$\mathbf{e}_i = \frac{\partial x}{\partial x^i} \mathbf{i} + \frac{\partial y}{\partial x^j} \mathbf{j} + \frac{\partial z}{\partial x^k} \mathbf{k}, \quad \mathbf{e}^i = \frac{\partial x^i}{\partial x} \mathbf{i} + \frac{\partial x^j}{\partial y} \mathbf{j} + \frac{\partial x^k}{\partial z} \mathbf{k}, \quad (\text{Korn, p. 508}),$$

with the fundamental  $\mathbf{e}_i(x^n) * \mathbf{e}_k(x^n) = \mathbf{g}_{ik}(x^n)$  tensor (M. Korn, M. S. p.508), and topology ( $x^n = XYZ$ ) in Euclidean space. These basis vectors can always be represented as: ( $x^i = c_x * t$ ), ( $X = c_x * t$ ) linear components of space-time. In this case, we obtain the usual:

$\mathbf{v}_i(x^n) * \mathbf{v}_k(x^n) = (v^2) = \mathbf{P}$ , the potential of space-matter, as a kind of acceleration ( $b$ ) on the length ( $K$ ), in the velocity space ( $v$ ), that is: ( $v^2 = bK$ ). Riemannian space is a fixed ( $\varphi \neq 0 = \text{const}$ ) state of a geodesic ( $x^s = \text{const}$ ) lines dynamic ( $\varphi \neq \text{const}$ ) space-matter that has a variable geodesic line ( $x^s \neq \text{const}$ ). There is no such mathematics of Riemannian space,  $\mathbf{g}_{ik}(x^s \neq \text{const})$  with variable geodesic. is no geometry of the Euclidean non-stationary sphere, no geometry of Lobachevsky space, with variable asymptotes of hyperbolas. A special case of negative curvature ( $K = -\frac{Y^2}{Y_0} = \frac{(+Y)(-Y)}{Y_0}$ ) (Smirnov, Course of Higher Mathematics, v.1, p.186) of Riemannian space is the space of Lobachevsky geometry (Mathematical Encyclopedia v.5, p.439). There are nine distinctive features of Lobachevsky geometry from Euclidean geometry (Fig. 1.2).

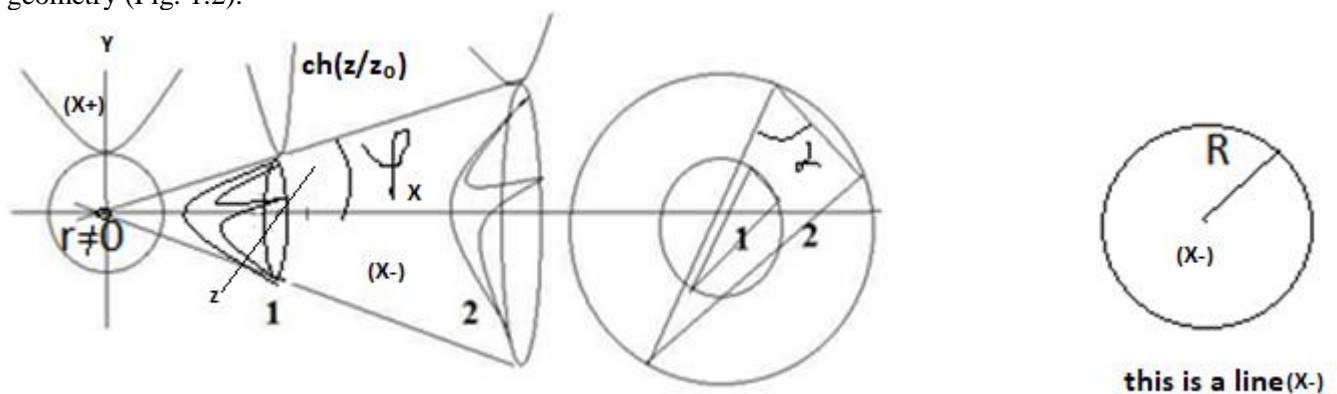


Fig. 1.2 Isotropic dynamics.

One of the features of Lobachevsky geometry is the sum of ( $0^0 < \sum \alpha < 180^0$ ) the angles of a triangle, as opposed to their Euclidean projection ( $\sum \alpha = 180^0$ ) onto a plane. Equal areas  $S_1 = S_2$  of triangles, or equal triangles in the space of Lobachevsky geometry, at equal angles of parallelism  $\varphi_1 = \varphi_2$  of a bundle of parallel straight lines, give protectively similar triangles in the Euclidean plane with equal angles at the vertices. A circle in the Euclidean plane is a line in Lobachevsky geometry. Here, the Euclidean line, "length without width" is the radius of a circle in Lobachevsky geometry. The larger the radius, the longer the "line". Such

circles on the surface of the Euclidean sphere are a set of straight lines in the Universe. In our case, the Euclidean sphere is also dynamic. How can we create theories of the "Big Bang" or "cyclic Universe" in such a sphere? The answer is no way. This is about nothing. The zero radius of such a circle ( $r = 0$ ) means that there is no such circle, and there are no such lines. This is a conversation about nothing, they simply do not exist. This is about the questions of singularity with their infinite criteria and impossibilities. They are neither in mathematics nor in Nature. This gives the efficiency of conformal transformations. But by changing the quantity, the quality changes. These are philosophical categories. In their mathematical representation, we speak of different curvatures of the planes of triangles in a multi-sheet Riemannian space. That is, Riemannian space is a fixed ( $\varphi \neq 0 = \text{const}$ ) state of the geodesic

( $x^s = \text{const}$ ) lines dynamic ( $\varphi \neq \text{const}$ ) space-matter ( $x^s \neq \text{const}$ ). Local basis vectors correspond to the velocity space  $W^N = K^{+N} T^{-N}$ , in multidimensional space-time. Space-time is a special case of a fixed state of dynamic space-matter. At the same time, all Criteria for the Evolution of Matter are formed in multidimensional space-time. They are presented in the "Unified Theory 2", in the form of: ( $P = W^2$ ) potential, ( $F = P^2$ ) force, energy: charge  $PK = q$  ( $Y+ = X-$ ) in electro ( $Y+ = X-$ ) magnetic fields, or mass  $PK = m$  ( $X+ = Y-$ ) in gravit ( $X+ = Y-$ ), mass fields, then density

$\rho = \frac{m}{V} = \frac{PK}{K^3} = \frac{1}{T^2} = \nu^2$  is the square of frequency, energy  $E = P^2 K$ , impulse ( $p = P^2 T$ ), action ( $\hbar = P^2 KT$ )..., a single space-matter.

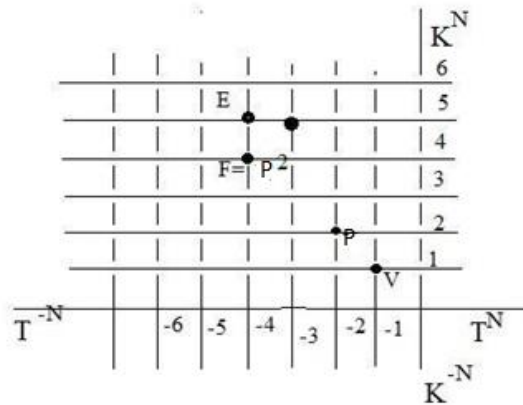


Fig.4 unified Criteria for the Evolution of space-matter.

Let us immediately note the "point that has no parts" in the Euclidean axiomatics, and the non-zero radius  $X_0 \neq 0$  or  $Y_0 \neq 0$  material sphere-point of the axioms of dynamic space-matter. In addition, there is a minimum Planck length ( $\lambda = 10^{-33}$  cm). These are questions of singularity that are not here, plus the mathematical prohibitions of division by zero.

As part of a dynamic ( $\varphi \neq \text{const}$ ) space-matter, we have a non-stationary Euclidean space -time ( $X, Y, Z, cT$ ), or a geodesic variable ( $x^s \neq \text{const}$ ), fundamental tensor  $g_{ik}(x^s)$  Riemannian space. For example, the no stationary space of Lobachevski geometry, with variable asymptotes of hyperbolas. There is no such mathematics yet.

In other words, we will consider the issues of "black holes" in the axioms of Euclidean space-time, as a special case ( $\varphi = 0$ ) or ( $(\varphi \neq 0) = \text{const}$ ) dynamic ( $\varphi \neq \text{const}$ ) space-matter.

## 2. Assumptions

Within the framework of classical physics, even 100-200 years ago, and in the laws of conservation of energy

$$E_k = \frac{mv^2}{2} \quad \text{and} \quad E_n = mgh, \quad \text{for} \quad g = \frac{GM}{R^2} \quad \text{and} \quad h = R \quad \text{Earth,}$$

the maximum speed was determined:  $\frac{v^2}{2} = \frac{GM}{R}$ ,  $v^2 = \frac{2GM}{R}$ , in which the body may not return to Earth ( $M$ ).

And even then, the hypothesis of super massive ( $M \neq 0$ ) "black stars", from which light does not come out, arose. The sphere of such "black stars"  $R_0 = \frac{2GM}{c^2}$  was called the Schwarzschild sphere. The reason was

considered to be Newton's gravitational force,  $F = \frac{2GMm}{R^2}$ . Here

$R$  is the distance between the centers of massive ( $M \neq 0$ ) and ( $m \neq 0$ ) massive spheres, the Earth and the Moon, for example. But if a small ball is lowered into the diametrical hole of a large massive sphere ( $R \rightarrow 0$ ), then the force does not increase indefinitely.

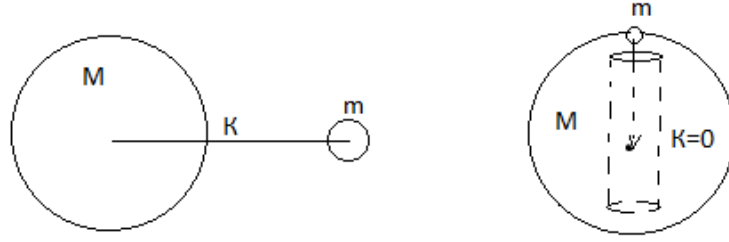


Fig.4a. Newton's law

Newton's law doesn't apply here. Newton introduced the very concept of force from the springy collision of two balls, with inverse proportionality to their accelerations of expansion.

$$\frac{m_1}{m_2} = \frac{a_2}{a_1}, \quad m_1 a_1 = m_2 a_2 = F.$$

Newton called this invariant of variable parameters force and said to measure it in newtons without any exchange interaction. Let us immediately note that in dynamic ( $\varphi \neq const$ ) space-matter, all the Evolution Criteria of the space of velocities, and in Riemannian space too:  $e_i(x^n) = v_i$ ,

$e_k(x^n) = v_k, g_{ik}(x^n) \equiv v^2$ , as a potential in the coordinate -time space of velocities

$W^N = K^{+N} T^{-N}$ , in multidimensional space-time. For charges  $PC=q$  ( $Y+ = X-$ ) in electric ( $Y+ = X-$ )

magnetic fields, and masses  $PC=m$  ( $X+ = Y-$ ) in gravitational ( $X+ = Y-$ ) mass fields, Maxwell and gravitational equations are derived fields.

$c * rot_Y B(X-) = rot_Y H(X-)$ $= \varepsilon_1 \frac{\partial E(Y+)}{\partial T} + \lambda E(Y+)$ $rot_X E(Y+) = -\mu_1 \frac{\partial H(X-)}{\partial T} = -\frac{\partial B(X-)}{\partial T};$	$c * rot_Y M(Y-) = rot_Y N(Y-)$ $= \varepsilon_2 * \frac{\partial G(X+)}{\partial T} + \lambda * G(X+)$ $M(Y-) = \mu_2 * N(Y-); rot_Y G(X+) = -\mu_2 * \frac{\partial N(Y-)}{\partial T} =$ $-\frac{\partial M(Y-)}{\partial T}$
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As well as transformations of the relativistic dynamics of the Special Theory of Relativity and quantum relativistic dynamics within the limits of parallelism angles.

$$\bar{X} = \frac{X - WT}{\sqrt{1 - W^2/c^2}}, \quad \bar{T} = \frac{T - \frac{W}{c^2} X}{\sqrt{1 - W^2/c^2}}, \quad \bar{W} = \frac{V + W}{1 + VW/c^2}.$$

$$\bar{K}_Y = \frac{a_{11} K_Y + cT}{\sqrt{1 - W^2/c^2}}, \quad \bar{T} = \frac{K_Y/c + a_{22} T}{\sqrt{1 - W^2/c^2}}, \quad \bar{W}_Y = \frac{a_{11} W_Y + c}{a_{22} + W_Y/c}, \text{ in conditions, } (a_{22} \neq a_{11}) \neq 1,$$

For zero angles of parallelism in the Euclidean axiomatics, with velocities lower than the speed of light

$W_Y < c$ , there are limiting cases of transition of quantum relativistic dynamics of vector components,

$a_{22} = (\cos(\alpha^0 = 0) = 1) = a_{11}$ ,  $a_{22} = 1$ ,  $a_{11} = 1$ ,  $Y = WT$ ,

$$(\bar{K}_Y = \bar{Y}) = \frac{(a_{11} = 1)(K_Y = Y) \pm WT}{\sqrt{1 - W^2(X-)/c^2}}, \quad \bar{Y} = \frac{Y \pm WT}{\sqrt{1 - W^2/c^2}}, \quad \bar{T} = \frac{K_Y/c + (a_{22} = 1)T}{\sqrt{1 - W^2(X-)/c^2}}$$

In other words, in Euclidean axiomatics it is impossible in principle to create the Quantum Theory of Relativity. Both theories: Special Theory of Relativity and Quantum Theory of Relativity, allow superluminal ( $v_i = N * c$ ) velocity space:

$$\bar{W}_Y = \frac{c + Nc}{1 + c * Nc/c^2} = c, \quad \bar{W}_Y = \frac{a_{11} Nc + c}{a_{22} + Nc/c} = c, \quad \text{For } a_{11} = a_{22} = 1.$$

Already within the framework of such ideas, we will consider “black holes”. In classical physics with the Euclidean axiomatic of space-time, for super massive “black stars” ( $M \neq 0$ ), with a gravitational radius  $R_0 = \frac{2GM}{c^2}$ , of any mass in theory. And for the masses

( $M \neq 0$ ) = const, inside ( $R < R_0$ ) such a sphere, there must be a superluminal space of velocities ( $v_i > c$ ) or ( $v_i = N * c$ ), ( $N > 1$ ). This does not contradict either the Special Theory of Relativity or the Quantum Theory of Relativity. In the quantum coordinate system of the dynamic ( $\varphi \neq const$ )

space-matter, we are talking about superluminal space of velocities  $v_i = \alpha^{-N} * c$ , where

$\alpha = 1/137,036$  the constant.

But let's return to the laws of classical physics, in which Newton's law of gravity has limits of application, and did not answer the question WHY do masses attract? Studying Maxwell's equations, like electromagnetic fields with Lorentz transformations in two  $(x_0, y_0, z_0, ct_0)$  and  $(x_1, y_1, z_1, ct_1)$  coordinate systems, and from the laws of conservation of energy, back in 1905, Einstein derived a formula, which we will dwell on in more detail.

Body with non-zero ( $m \neq 0$ ) mass, emits light with energy ( $L$ ) in system  $(x_0, y_0, z_0, ct_0)$  coordinates, with the law of conservation of energy:  $(E_0 = E_1 + L)$ , before and after radiation. For the same mass, and this is the key point (the mass ( $m \neq 0$ ) does not change), in a different coordinate

$(x_1, y_1, z_1, ct_1)$  system, the law of conservation of energy with  $(\gamma = \sqrt{1 - \frac{v^2}{c^2}})$  Lorentz transformations, Einstein wrote in the form  $(H_0 = H_1 + L/\gamma)$ . Subtracting their difference, Einstein got:

$$(H_0 - E_0) = (H_1 - E_1) + L(\frac{1}{\gamma} - 1), \text{ or } (H_0 - E_0) - (H_1 - E_1) = L(\frac{1}{\gamma} - 1),$$

With separation of the radiation energy difference. Both inertial coordinate systems are moving, but  $(x_1, y_1, z_1, ct_1)$  moving at a speed ( $v$ ) relatively  $(x_0, y_0, z_0, ct_0)$ . And it is clear that blue and red light have an energy difference, which Einstein wrote down in the equation. Einstein wrote down the equation itself as the difference in kinetic energies in the first expansion.

$$(K_0 - K_1) = \frac{L}{2}(\frac{v^2}{c^2} \dots), \quad \text{or} \quad \Delta K = (\frac{\Delta L}{c^2}) \frac{v^2}{2}$$

Here  $(\frac{\Delta L}{c^2} = \Delta m)$  the multiplier has the properties of the "radiant energy" mass, or:  $\Delta L = \Delta mc^2$ . This formula

has been interpreted in different ways. The annihilation energy of  $E = m_0 c^2$  the rest mass, or:  $m_0^2 = \frac{E^2}{c^4} - p^2 c^2$ , in relativistic dynamics. Here is the mass with zero momentum ( $p = 0$ ), has energy:  $E = m_0 c^2$ , and the zero mass of the photon: ( $m_0 = 0$ ), has momentum and energy

$E = p * c$ . But Einstein derived another law of "radiant energy" ( $\Delta L = \Delta mc^2$ ), with mass properties. This is not the energy of a photon, and this is not the energy of  $(\Delta E = \Delta mc^2)$  a defect in the mass of nucleons in the nucleus of an atom. Einstein saw something that no one else saw. Like a moving charge, with the magnetic field induction of Maxwell's equations, a moving mass (the mass

( $m \neq 0$ ) does not change), induces mass energy ( $\Delta L = \Delta mc^2$ ), which is what Einstein found. For example, a charged sphere (the charge ( $q \neq 0$ ) does not change), inside a moving carriage has no magnetic field. But the compass on the platform will show the magnetic field of the sphere in the moving carriage. It was precisely this kind of inductive magnetic field, from the moving electrons of a conductor current, that Oersted discovered. Then there were Faraday's experiments, the induction of vortex electric fields in an alternating magnetic field, the laws of induction and self-induction, and Maxwell's equations. By analogy with the inductive energy of a magnetic field from a moving charge, Einstein derived the formula for the inductive, "radiant" energy of mass fields from moving non-zero masses, including stars in galaxies. And here Einstein went beyond the Euclidean ( $\varphi = 0$ )

axiomatics of space-time. In the axioms of dynamic space-matter ( $\varphi \neq const$ ), we are talking about inductive  $m(Y -)$  mass fields, in complete analogy with Maxwell's equations. This is what Einstein saw, and no one else. Already from the Equivalence Principle, the potential of the inductive mass field:  $v^2(Y - X +) = v * \cos \varphi_x(X +) * v * \cos \varphi_x(X +) = G v^2(X +)$  in a gravitational field, a constant follows ( $G = \cos^2 \varphi_x$ ) as a mathematical truth. And already writing the equation of the General Theory of Relativity,

Einstein took the gravitational potential of zero mass:  $\frac{E^2}{p^2} = c^2$ , in the form of  $\frac{L^2(Y -)}{p^2} = G v^2(X +) = \frac{8\pi G}{c^4} T_{ik}$

an energy-momentum tensor. A misconception about Einstein's General Theory of Relativity is that it is believed that non-zero mass is represented in the equation as the source of space-time curvature, as the source of gravity. In the equation of Einstein's General Theory of Relativity, as a mathematical truth in dynamic space-matter in its entirety:

$$R_{ik} - \frac{1}{2} R g_{ik} - \frac{1}{2} \lambda g_{ik} = \frac{8\pi G}{c^4} T_{ik}.$$

There is no mass: ( $M = 0$ ), in its classical sense. In mathematical truth, this is the difference in relativistic dynamics at two fixed points in Riemannian space, one of which is reduced to the Euclidean sphere, in the external, non-stationary ( $\lambda \neq 0$ ) Euclidean space-time. In physical truth, in the equation of the General Theory of Relativity, Einstein, in the unified Criteria of Evolution, Newton's formula (law) is "hardwired":



$$E = c^4 K, P = c^4 T, (c_i^2 - c_k^2 = \Delta c_{ik}^2) = \frac{E^2}{p^2} = \left(\frac{K^2}{T^2} = c^2\right), \quad \Delta c_{ik}^2 = Gv^2(X+) \neq 0$$

$$\Delta c_{ik}^2 = \frac{c^4 c^4 K^2}{c^4 c^4 T^2} = \frac{G(c^2 K_Y = m_1)(c^2 K_Y = m_2)}{c^2(c^2 T^2 = K^2)} = \frac{Gm_1 m_2}{c^2 K^2}, \quad \Delta c_{ik}^2 = \frac{Gm_1 m_2}{c^2 K^2}, \quad \Delta c_{ik}^2 c^2 = F$$

As we see, in the equation of Einstein's General Theory of Relativity, the force of gravity acts in fields with zero mass. It reads: the difference in mass flows  $\Delta c_{ik}^2(Y-)$  in the external field of gravity  $c^2(X+)$ , with their Principle of Equivalence, gives strength. And only now, we will consider the properties of "super massive" ( $M \neq 0$ ) compact ( $R \rightarrow 0$ ) objects discovered in the galactic core as a fact of rarity. Under the conditions of:  $c^2 = \left(\frac{2G(M=0)}{(R=0)} = 0\right) \neq 0$ , under the conditions of the Planck limit length ( $10^{-33}$  cm), of the quantum field in space-time, under the conditions of the uncertainty principle, as well as the always dynamic one, of the quantum itself, under the conditions of a non-zero difference

$$R_{ik} - \frac{1}{2} R g_{ik} \neq 0$$

energy-momentum tensor, i.e. ( $T_{ik} \neq 0$ ) energy, the presence of:  $c^2 = \left(\frac{2G(M=0)}{(R=0)} = 0\right) \neq 0$

gravitational potential as the reason for the curvature of the "black hole" space itself, outside the mass. The concept of "event horizon" arises in the basic solutions of Schwarzschild, the relativistic metric of the gravitating sphere, as the initial state. There are key transformations of the simplified mathematical model of the Einstein equation that lead to Schwarzschild solutions, but already in the gravitational field of space-matter outside the mass.

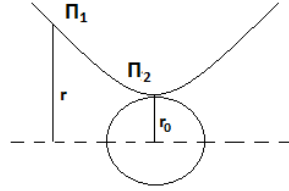


Fig.4c – gravitational potentials

Einstein's equation:  $R_{ik}(1) - \frac{1}{2} R g_{ik}(2) = \frac{8\pi G}{c^4} T_{ik}$ : we write in the form of gravitational potentials at two points of Riemannian space with a fundamental tensor:

$$R_{ik}(1) = e_i(x^n) e_k(x^n) = v_i v_k = P_1 \quad \text{and} \quad g_{ik}(2) = e_i(x^n) e_k(x^n) = v_i v_k = P_2$$

We understand that point (2) is represented by Euclidean space ( $r_0$ ) without curvature. Note that the exact coincidence of point (2) of the curve with the circle is not in the mathematical truth of the full Einstein equation. Point (1) with curvature of Riemannian space ( $r$ ) in a gravitational field. Then we will represent the gravitational potentials outside the masses in the form:

$$P_1 = c^2 \left(\frac{r}{r}\right)^2, \quad P_2 = c^2 \left(\frac{r_0}{r}\right)^2, \quad \text{with the energy-momentum tensor:}$$

$$\frac{8\pi G}{c^4} T_{ik} = \frac{E^2}{p^2} = \frac{G(\Pi^2 K)^2}{(\Pi^2 t)^2} = \frac{G\Pi^2 \Pi^2 K^2}{c^4 \Pi^2 t^2},$$

$$P_1 - P_2 = \frac{G\Pi^2 K^2}{c^4 t^2} = \frac{Gc^2 \Pi K^2}{c^2 \Pi t^2}, \quad P_1 - P_2 = \frac{c^2 G K^2}{c^2 t^2}, \quad \text{or:}$$

$$c^2 \left(\frac{r}{r}\right)^2 - c^2 \left(\frac{r_0}{r}\right)^2 = \frac{c^2 G K^2}{c^2 t^2}, \quad c^2 \left(1 - \left(\frac{r_0}{r}\right)^2\right) = \frac{c^2 G K^2}{c^2 t^2}, \quad \left(1 - \left(\frac{r_0}{r}\right)^2\right) = \frac{x^2}{c^2 t^2},$$

$$\left(1 + \frac{r_0}{r}\right) \left(1 - \frac{r_0}{r}\right) = \frac{x^2}{c^2 t^2}, \quad \left(1 + \frac{r_0}{r}\right) c^2 t^2 - \frac{x^2}{\left(1 - \frac{r_0}{r}\right)} = s^2(x), \quad s^2(x) = 0 \text{ at } (x = 0).$$

$$\left(1 + \frac{r_0}{r}\right) c^2 t^2 - \left(1 - \frac{r_0}{r}\right)^{-1} x^2 = s^2, \quad \text{or:} \quad ds^2 = \left(1 + \frac{r_0}{r}\right) c^2 dt^2 - \left(1 - \frac{r_0}{r}\right)^{-1} dx^2.$$

These are the mathematical truths of the simplest model of radial relativistic space-time dynamics in a gravitational field without ( $m_0 = 0$ ) mass:  $\frac{E^2}{p^2} = c^2$ , or:  $\frac{E^2}{c^2} = p^2 + (m_0 = 0)^2 c^2$ . And the first thing to note is the non-zero ( $r_0 \neq 0$ ) radius by definition. This is the radius of a circle instead of a sphere in the Schwarzschild solution. And this is the condition ( $R g_{ik} \neq 0$ ) of the Einstein equation, as a mathematical truth in its full form. Here, talking about singularity is talking about nothing. There is no singularity in principle and by definition. The second point is that the Einstein equation considers gravity outside the sphere. There are no "travels" inside the sphere in the Einstein equation either, as in Newton's law ( $r \neq 0$ ). All subsequent models

of "black holes" have an event horizon, and so on. Many models of "black holes", collapsing photon spheres (stars in the limit) passing the Schwarzschild sphere, their diagrams are naive, erroneous in the basic foundations and without arguments of the initial premises as causes, although mathematics and logic work further. On the contrary :  $R_0 = \frac{2G(M \neq 0)}{c^2}$  inside  $(R < R_0) = \frac{2G(M \neq 0)}{(v > c)^2}$  "black sphere", there must be a superluminal space ( $v > c$ ) of velocities, without violating Einstein's laws ( $v = Nc$ ), when the velocities inside the "black sphere"  $\overline{W}_Y = \frac{c+Nc}{1+c*Nc/c^2} = c$ , have the speed of light for us. In this case, we are talking about the trajectory of an external photon ( $x = ct$ ), with the fixation of electromagnetic dynamics in the coordinate plane  $(K^2) \perp (ct)$ , orthogonal to the trajectory of the photon. A photon, approaching the "black sphere" cannot enter the sphere, into superluminal space, just as a photon cannot enter the physical vacuum in the vastness of the Universe. In the gravitational "well", the photon circles around the already "black hole", since nothing flies out from there, for us. The trajectory of the photon ( $x = ct$ ) rotates on the surface of the sphere, like its geodesic. In this case,  $(ct)$  time and coordinate space  $(K^2)$  in the radial direction change places. We  $(t \rightarrow \infty)$  circle around the "black hole" infinitely long, and in mathematical formalism  $(R \rightarrow 0)$ , the geodesic lines of the photon inevitably converge to the center of the "black hole", where  $(K \rightarrow 0)$  the space itself disappears. This situation is called an  $\overline{W}_Y = \frac{c+Nc}{1+c*Nc/c^2} = c$ , inevitable singularity in the center of a "black hole" that does not exist in Nature. This contradicts  $(R < R_0) = \frac{2G(M \neq 0)}{(v > c)^2}$ , Einstein's laws of physics. On the contrary, all the laws of physics work in this area as in a physical vacuum. We are not saying here that this is a zero singularity. A "black hole" cannot absorb mass because this mass must accelerate to the speed of light to overcome the event horizon  $M \rightarrow 0$ . Even if you break an atom into protons and electrons or electron-positron pairs in Hawking radiation, they cannot reach the speed of light of the event horizon. Even if a positron was "born" under the Euclidean line, "long without width", the event horizon. This is outside the Euclidean axiomatics of space-time, outside Einstein's postulates. And this means that Hawking radiation by "black holes" is impossible. But Einstein's equation is not about this at all. Einstein's equation does not contain mass ( $m = 0$ ) and is deeper. It specifies the potentials, force fields and energy of the gravitational field at any point in the Universe outside of mass ( $m = 0$ ). And not a single model answers the question, WHY does the curvature of gravity arise and where does the energy of the field come from? In such listed conditions, as arguments of mathematical truths, to talk about a singularity in the center ( $R = 0$ ) "black hole", this is a conversation about nothing. There is no singularity in the center of "black holes". The question is closed. But there is a fact of the presence of "super massive compact objects" discovered in the core of galaxies. And there is another representation of the properties of such objects:

$$(R < R_0) = \frac{2GM}{(v_i > c)^2}$$

with the presence of superluminal space: ( $v_i > c$ ) inside  $(R < R_0)$  such "black spheres" called "black holes". There are no "holes". The mass of such "black spheres" ( $M \neq 0$ ) is not zero. Next we [will talk about the properties of "black spheres" called "black holes", within the framework of the properties of dynamic space - matter](https://vixra.org/abs/2302.0022) ( <https://vixra.org/abs/2302.0022> ) which are subject to experimental testing. First of all, the presence of new quanta in the cores of planets, in the cores of stars, in the cores of galaxies, in the cores of quasars and in the cores of quasar galaxies. And first of all, stable quanta of the new substance.

On colliding beams of positrons ( $e^+$ ), which are accelerated in a stream of quanta ( $Y = \gamma$ ), photons of a **"white" laser** in the form of:

$$IAL(X \pm = p_1^+) = (Y = e^+)(X = v_\mu^-)(Y = e^+) = \frac{2m_e}{G} = 15,3 \text{ TeV},$$

On colliding beams of antiprotons ( $p^-$ ), occurs:

$$IAL(Y \pm = e_2^-) = (X = p^-)(Y = e^+)(X = p^-) = \frac{2m_p}{\alpha^2} = 35,24 \text{ TeV}.$$

indivisible and stable quanta of matter, similar to the substance of electron quanta.

We are talking about a quantum coordinate system  $OJ_{ji}(m - n)$  in the space-matter of the Universe, in each  $OJ_j$  level  $OJ_i$  there are three  $(X = Y +)$  charge and two  $(Y = X +)$  mass isopotentials. And in this



quantum coordinate system, “heavy” ( $p_j/e_j$ ) quanta, each of which has its own “depth” of energy levels ( $v_1/\gamma_i$ ) quanta of physical vacuum. Let's imagine them in the form of models such  $R_{ji}(m)$  Indivisible Regions of space - the matter of the Universe.

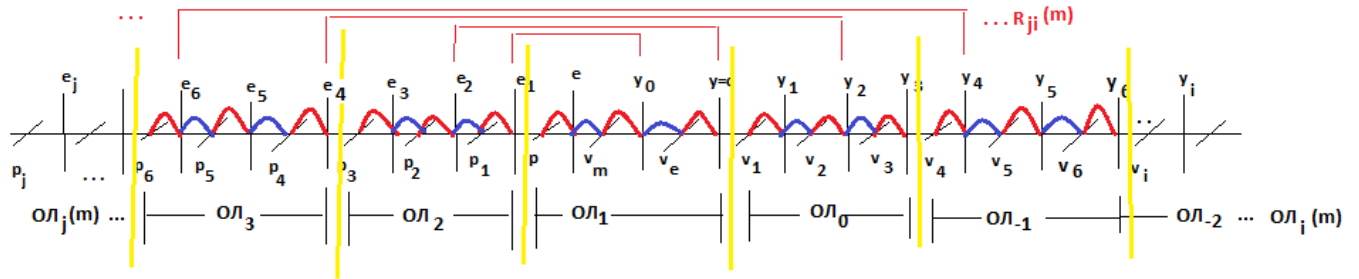


Fig.5. spectrum of indivisible quanta

This is a certain sphere in space-matter, in the center of which are “heavy” ( $p_j/e_j$ ) quanta that determine “down” and “up” along the radius, up to the level ( $v_i/\gamma_i$ ) quanta of the physical vacuum of space-matter of the Universe, for any similar object within this sphere.

In the axioms of dynamic space-matter,  $IAL = CE(m)CE(n) = 1$ , we obtain for the masses ( $M$ ) of indivisible quanta in ( $OЛ_{ji}$ ) levels:

$$\begin{aligned} IAL &= M(e_1 = 1,15 \text{ E4})(k = 3.13)M(\gamma_0 = 3.13 \cdot E - 5) = 1 \\ IAL &= M(e_2 = 3,524 \text{ E7})(k = 3.13)M(\gamma = 9,07 \text{ E} - 9) = 1 \\ IAL &= M(e_3 = 5,755 \text{ E11})(k = 3.86)M(\gamma_1 = 4.5 \cdot E - 13) = 1 \\ IAL &= M(e_4 = 1,15 \text{ E16})(k = 3.13)M(\gamma_2 = 2,78 \text{ E} - 17) = 1 \\ IAL &= M(e_5 = 3,97 \text{ E19})(k = 3.13)M(\gamma_3 = 8.05 \cdot E - 21) = 1 \\ IAL &= M(e_6 = 6,48 \text{ E23})(k = 3.83)M(\gamma_4 = 4,03 \text{ E} - 25) = 1 \\ IAL &= M(e_8 = 4,47 \text{ E31})(k = 3.14)M(\gamma_6 = 7,13 \text{ E} - 33) = 1 \end{aligned}$$

$$IAL = M(e_{26} = 9,1 \text{ E103})(k = 3.14)M(\gamma_{24} = 3,5 \text{ E} - 105) = 1$$

Obviously, we are talking about vortex mass ( $Y-$ )trajectories:

$c * rot_X M(Y- = \gamma_i) = \varepsilon_2 * \frac{\partial G(X+)}{\partial T} + \lambda * G(X+)$  equations of dynamics in a circle ( $k = 3.14 = \pi = \frac{2\pi R=l}{2R}$ ) in each ( $OЛ_i$ ) level of the physical vacuum. These are spheres around a planet, star, galaxy, quasar... . Using quanta as an example:

$$IAL(X \pm = p_1^+) = (Y- = e^+)(X+ = v_\mu^-)(Y- = e^+) = \frac{2m_e}{G} = 15,3 \text{ TeV},$$

$$IAL(Y \pm = e_2^-) = (X- = p^-)(Y+ = e^+)(X- = p^-) = \frac{2m_p}{\alpha^2} = 35,24 \text{ TeV},$$

we are talking about the synthesis of matter ( $X \pm = p_1^+$ ) using colliding beams ( $e^+ e^+ \rightarrow p_1^+$ ) positrons with virtual quanta ( $v_\mu^-$ ), and ( $Y \pm = e_2^-$ ) on counter beams ( $p^- p^- \rightarrow e_2^-$ ) antiprotons and positrons with virtual quanta ( $e^+$ ) similar to electrons ( $e^- = v_e^- \gamma^+ v_e^-$ ). We can also talk about the consistent synthesis of “heavy” ( $p_j/e_j$ ) quanta, namely substances ( $X \pm = p_j^+$ ), for ( $Y-$ )<sub>A</sub> the ( $X-$ )<sub>A</sub> apparatus, in individual processes. (...  $\leftarrow p_6^+ \leftarrow e_5^+ \leftarrow p_3^+ \leftarrow e_2^+ \leftarrow p^+$ ) And (...  $\leftarrow p_7^+ \leftarrow e_6^+ \leftarrow p_4^+ \leftarrow e_3^+ \leftarrow p_1^+ \leftarrow e^+$ ) synthesis. The important thing is that the electron ( $e^-$ ) emits and absorbs a photon ( $\gamma^+$ ), but it cannot emit and absorb a “dark” photon ( $\gamma_0$ ). This “dark” photon is emitted and absorbed by a “heavy” electron ( $e_1$ )  $\rightarrow (\gamma_0)$ . In exactly the same way, a “heavy” proton ( $p_1$ )  $\rightarrow (v_\mu)$  emits and absorbs a muon neutrino. These are invisible quanta that do not interact and are non-contact with quanta ( $p^+/e^-$ ) atoms of the periodic table. We can neither see nor record them. But these invisible quanta (blue color in the indicated sequences) have charge isopotentials and can form Structural Forms that are invisible to us, similar to ordinary ( $p^+/e^-$ ) atoms. These are: structures ( $v_\mu/\gamma_0$ ), ( $p_1/e_1$ )... This is how we consistently master the potentials of the core of planets, the core of stars, the core of galaxies and the core of quasars. But for ( $Y-$ )<sub>A</sub> apparatus, we can only form contact quanta ( $p_4^+$ ) galactic nuclei and quanta ( $p_6^+$ ) substances of the core of quasars. The physical reality is the different space of the velocities of the Sun and the Earth. Without any fuel engines, the Earth flies in the space of the physical vacuum at a speed of  $30 \text{ km}/c$ , and the Sun at a speed of the order of  $265 \text{ km}/c$ . We are talking about the main property of space-matter - movement. The mass flow ( $Y-$ )<sub>A</sub> of the

apparatus is created by the fields of Strong and Gravitational Interaction of energy quanta  $(X^\pm = p_1)$ ,  $(X^\pm = p_2)$ ,  $O\mathcal{L}_2$  the level of indivisible quanta of the space-matter of the physical vacuum, interconnected by the same  $(X^+)$  fields on the trajectories  $(X^-)$  of the module, without an external energy source.

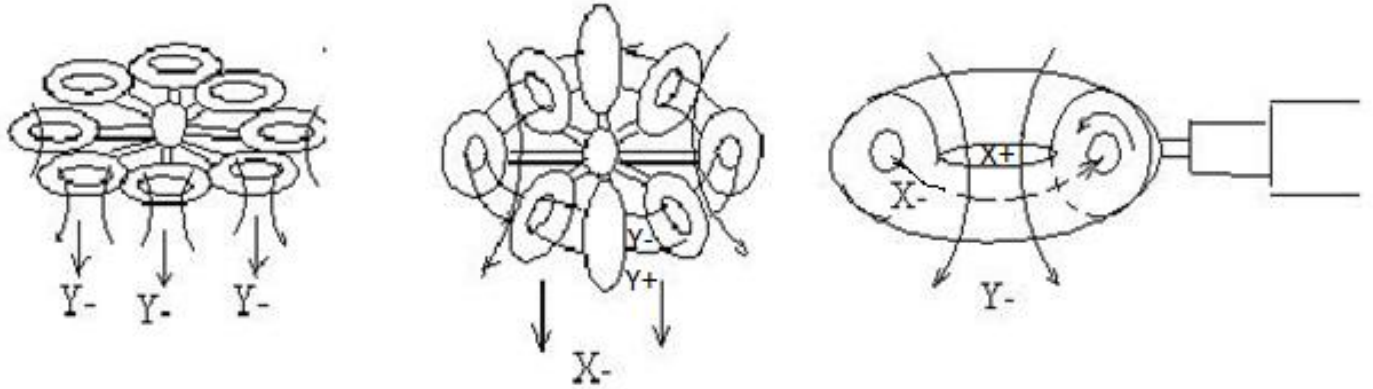


Fig.9. Intergalactic spacecraft without fuel engines.

Consistently including the space of velocities, the apparatus  $(Y^-)_A$ ,  $(X^-)_A$  in the level of the singularity of the physical vacuum, the apparatus goes along the radial trajectory from the level of the singularity of the physical vacuum of the quantum  $(X^\pm)$  of the space-matter of the planet,  $(Y^\pm)$  the space-matter of the star,  $(X^\pm)$  the space-matter of the galaxy,  $(Y^\pm)$  the space-matter of the cluster of galaxies, to other clusters and galaxies in field of the Universe, with reverse inclusions when returning to the planet of one's own or another galaxy. Thus, to create mass fields  $(Y^- = \gamma_i)_A$ , space of velocities, it is necessary to use fields

$(Y^-)_A = (X^+ = p_j) + (X^+ = p_j)$  of "heavy" quanta as "working substance" closed on  $(X^-)$  the trajectory of the "ring" of the device, in the conditions of  $HO\mathcal{L} = (e_j)(k)(\gamma_i) = 1$ , Indivisible Area of Localization. And the device itself  $(Y^-)_A$ , is consistently "immersed" in a physical vacuum, such as:  $HO\mathcal{L} = (e_4)(k)(\gamma_2) = 1$ ,  $HO\mathcal{L} = (e_6)(k)(\gamma_4) = 1$ , superluminal  $(\gamma_2 = 137 * c)$ , and  $(\gamma_4 = 137^2 * c)$  velocity space. This is completely acceptable in Special  $\overline{W}_Y = \frac{c+Nc}{1+c*Nc/c^2} = c$ , and Quantum

$\overline{W}_Y = \frac{a_{11}Nc+c}{a_{22}+Nc/c} = c$ , Theories of Relativity in Euclidean  $a_{ii} = \cos(\varphi = 0)$ ,  $a_{11} = a_{22} = 1$ , angles of parallelism. The apparatus itself  $(Y^-)_A$  moves in the indicated sphere of space-matter of the Universe, in various levels of physical vacuum. It is worth noting that the volume of space-matter of a star is "immersed" in velocity space  $(\gamma = c)$ , the volume of galaxies is "immersed" in velocity space  $(\gamma_2 = 137 * c)$ , the volume of quasars is "immersed" in space  $(\gamma_4 = 137^2 * c)$  already superluminal speeds.

### 3. Admissible objects of the Universe

We will call the objects of the Universe "spheres-points"  $O\mathcal{L}_{ji}(n)$  convergence, in each fixed "point"  $O\mathcal{L}_{ji}(m = const)$  quantum coordinate system. For example, objects:

$$HO\mathcal{L} = M(e_2 = 3,524 E7)(k = 3.13)M(\gamma = 9,07 E - 9) = 1$$

similar to the kernel  $(p/e)$  ordinary atoms, we are talking about quanta  $(p_2/e_2)$  star cores. Stars with such a core have the maximum energy level of a physical vacuum, at the level  $(\gamma)$  photon. Below the photon energy, the star does not manifest itself in a physical vacuum. Similar to proton radiation  $(p^+ \rightarrow \nu_e^-)$  antineutrino, we are talking about radiation from antimatter matter and vice versa. That is:  $(p_8^+ \rightarrow p_6^-)$ ,  $(p_6^- \rightarrow p_4^+)$ ,  $(p_4^+ \rightarrow p_2^-)$ ,  $(p_2^- \rightarrow p^+)$ , with the corresponding atomic nucleus:  $(p^+/e^-)$  substances of an ordinary atom,  $(p_2^-/e_2^+)$  antimatter core of the "stellar atom",  $(p_4^+/e_4^-)$  matter of the core of the galaxy,  $(p_6^-/e_6^+)$  antimatter of the core of the quasar and  $(p_8^+/e_8^-)$  matter of the core of the "quasar galaxy". Further, we proceed from the fact that quantum  $(e_{*1}^-)$

substances  $(Y^- = p_1^-/n_1^- = e_{*1}^-)$  planetary cores emits a quantum

$$(e_{*1}^+ = 2 * \alpha * (p_1^- = 1,532 E7 MeV)) = 223591 MeV,$$

$$\text{or: } \frac{223591}{p=938,28} = e_{*1}^+ = 238,3 * p$$

mass of the uranium nucleus, quantum of “antimatter”  $M(e_*^+) = M(238,3 * p) = {}^{238}_{92}U$ , uranium nuclei. There is such an “antimatter” ( $e_*^+ = {}^{238}_{92}U = Y-$ ) unstable, and decays exothermically into a spectrum of atoms in the core of planets.

At superluminal level  $w_i(\alpha^{-N}(\gamma = c))$  physical vacuum, such stars do not manifest themselves. Next, we are talking about the substance of  $(p_3^+ \rightarrow p_1^-)$  the nucleus ( $Y- = p_3^+/n_3^0 = e_{*3}^+$ ) “black spheres” around which, in their gravitational field, globular clusters of stars form. Similarly, below, we are talking about radiation from antimatter matter and vice versa:

$(p_6^+ \rightarrow p_5^-), (p_5^- \rightarrow p_3^+), (p_3^+ \rightarrow p_1^-), (p_1^- \rightarrow \nu_\mu^+)$ . The general sequence looks like:

$$p_8^+, p_7^+, p_6^-, p_5^-, p_4^+, p_3^+, p_2^-, p_1^-, p^+, \nu_\mu^+, \nu_e^- \dots$$

Further:  $IAL = M(e_4 = 1,15 \text{ E16})(k = 3.13)M(\gamma_2 = 2,78 \text{ E} - 17) = 1$ . These quanta  $(p_4/e_4)$  galactic nuclei are surrounded by individually emitted quanta  $(p_2/e_2)$  the cores of stars are the reason for their formation. Such galactic nuclei, in the equations of quantum gravity, have spiral arms of mass trajectories, already:  $w_i(\gamma_2 = \alpha^{-1}c) = 137 * c$ , in superluminal speed space. Below the energy of light photons ( $w_i = 137 * c$ ) in a physical vacuum, galaxies do not manifest themselves. Outside galaxies, we are talking about quanta from the core of mega stars ( $Y- = p_5^-/n_5^- = e_{*5}^-$ ). They generate many quanta ( $e_{*5}^- = 2 * \alpha * p_5^- = e_{*4}^+ = 290p_4^+$ ) galactic nuclei. Likewise further:

$$IAL = M(e_6 = 6,48 \text{ E23})(k = 3.83)M(\gamma_4 = 4,03 \text{ E} - 25) = 1$$

We're talking about quanta ( $Y- = p_6^-/n_6^- = e_{*6}^-$ ) quasar nuclei, which also individually emit  $(p_4/e_4)$  quanta of the core of galaxies. In other words, the quasar core is surrounded by quanta from the galactic core. They say that the quasar is in the center of the galaxy. Such quasars plunge into the level of physical vacuum to superluminal speeds  $w_i(\gamma_4 = \alpha^{-2}c) = 137^2 * c$ . This is deeper than the level of the physical vacuum of the galaxy. These are completely different objects. In other words, quasars bend space-matter at the level  $(\gamma_4)$  quanta. Next, we talk about quanta of matter kernels

$(Y- = p_7^+/n_7^0 = e_{*7}^+)$  “black spheres” around which, in their gravitational field, clusters of galaxies are formed, and further:

$$IAL = M(e_8 = 4,47 \text{ E31})(k = 3.14)M(\gamma_6 = 7,13 \text{ E} - 33) = 1$$

We're talking about quanta  $(p_8/e_8)$  the nuclei of quasar galaxies, which also individually emit quanta  $(p_6^-/n_6^- = e_{*6}^-)$  quasar cores. Such quasar galaxies plunge into the level of physical vacuum to superluminal speeds  $w_i(\gamma_6 = \alpha^{-3}c) = 137^3 * c$ . Similarly, further:

In the axioms  $IAL = K\exists(m)K\exists(n) = 1$ , or  $M_j(X+) * M_i(Y-) = 1$ , of dynamic space-matter, we are talking about the source of gravity gravitational  $M_j(X+)$  mass in  $OL_j$  levels and inert  $M_i(Y-)$  mass in  $OL_i$  levels of physical vacuum, with their Einstein equivalence principle in a single gravitational  $(X+ = Y-)$  mass field. These masses:  $M_j * M_i = (M = \Pi K)^2 = 1$ , in the form of a quadratic form, are presented in the quantum fields of their interaction:

$$\hbar = Gm_0 \frac{\alpha}{c} Gm_0(1 - 2\alpha)^2 = GM_j \frac{\alpha}{c} GM_i(1 - 2\alpha)^2 = \frac{(6,674*10^{-8})^2 * (1 - 2/(137.036))^2}{137.036 * 2.993 * 10^{10}} = 1.054508 * 10^{-27}$$

in quantum:  $G(X+) \left[ \frac{K}{T^2} \right] = \psi \frac{\hbar}{\Pi^2 \lambda} G \frac{\partial}{\partial t} grad_n Rg_{ik}(X+) \left[ \frac{K}{T^2} \right]$ , gravit  $(X+ = Y-)$  mass fields. This equation of quantum gravity follows directly from the equation of Einstein's General Theory of Relativity. Thus, the maximum mass  $M_j(X+)$  source of gravity is determined by  $M_i(Y-)$  the inertial mass of mass  $(Y- = \gamma_i)$  fields in  $OL_i$  levels of physical vacuum, like an object  $OL_{ji}(n)$  convergence or:  $HO\Omega = OL_{ji}(n) = M_j(X+) * M_i(Y- = \gamma_i) = 1$ . Thus, we obtain the maximum masses in the Universe: for example, for a star  $M_j(X+) = M_2(p_2^-/n_2^0) = 1/(\gamma)$  in conditions  $(e_2^+(k)\gamma) = 1$ . Likewise:

Limit mass of planets, for  $1MeV = 1.78 * 10^{-27}g$ :

$$\frac{1}{\gamma_0} = \frac{1}{3.13*10^{-5}MeV*1.78*10^{-27}g} = M_1(p_1^-/n_1^-) \approx 1.8 * 10^{31}g \approx \frac{M_s}{100}, \text{ where } (M_s = 2 * 10^{33}g) \text{ is the mass of the Sun. Next is the maximum mass of stars with a core of antimatter:}$$

$$\frac{1}{\gamma} = \frac{1}{9.07*10^{-9}MeV*1.78*10^{-27}g} = M_2(p_2^-/n_2^-) \approx 6.2 * 10^{34}g \approx 31M_s, \text{ or ranging from } \frac{M_s}{100} \text{ before } 31M_s \text{ macc.}$$

Similarly, the maximum mass  $(p_3^+/n_3^0 = e_{*3}^+)$  “black spheres”, with a core of matter:

$$\frac{1}{\gamma_1} = \frac{1}{4.5*10^{-13}MeV*1.78*10^{-27}g} = M_3(p_3^+/n_3^0) \approx 1.25 * 10^{39}g \approx 625220M_s$$

maximum mass of the galaxy,  $(p_4^+/n_4^0 = e_{*4}^+)$  with a core of matter:

$$\frac{1}{\gamma_2} = \frac{1}{2.78*10^{-17}MeV*1.78*10^{-27}g} = M_4(p_4^+/n_4^0) \approx 2 * 10^{43}g \approx 10^{10}M_s$$

the maximum mass of an extragalactic megastar,  $(p_5^-/n_5^- = e_{*5}^-)$  with an antimatter core:

$$\frac{1}{\gamma_3} = \frac{1}{8.05 \cdot 10^{-21} \text{ MeV} \cdot 1.78 \cdot 10^{-27} \text{ g}} = M_5(p_5^-/n_5^-) \approx 7 \cdot 10^{46} \text{ g} \approx 3.5 \cdot 10^{13} M_s,$$

the maximum mass quasar,  $(p_6^-/n_6^- = e_{*6}^-)$  with an antimatter core:

$$\frac{1}{\gamma_4} = \frac{1}{4.03 \cdot 10^{-25} \text{ MeV} \cdot 1.78 \cdot 10^{-27} \text{ g}} = M_6(p_6^-/n_6^-) \approx 1.4 \cdot 10^{51} \text{ g} \approx 7 \cdot 10^{17} M_s,$$

.....

Each core of such objects  $O\Lambda_{ji}(n)$  convergence, generates a set of corresponding quanta

$(2 \cdot \alpha \cdot p_j^\pm = e_{*j}^\mp = N p_{j-1}^\mp)$  indicated in the table, and emits  $(p_j^\pm \rightarrow p_{j-2}^\mp)$ . This is a lot ( $N$ ) quanta of the core of planets, stars, galaxies, quasars.... In this case, under the conditions

$M_j(X+) \cdot M_i(Y- = \gamma_i) = 1$ , dynamic space-matter and under the conditions  $M(e_j)(k)M(\gamma_i) = 1$ , the space of velocities of the physical vacuum:  $(\alpha^{+N} v(e_j) \alpha^{-N} v(\gamma_i) = 1)$ , inside the "black sphere (hole)", in the depths of the physical vacuum, time slows down to zero. And such time dilation depends not on the radial distances ( $r \rightarrow 0$ ) to the center of the "black sphere (hole)", but on the type of the "black sphere (hole)", in the quantum coordinate system.

For example, the core of the Sun, like a star, emits hydrogen nuclei  $(p_2^- \rightarrow p^+ \rightarrow v_e^-)$  and electron antineutrino, but generates  $(2 \cdot \alpha \cdot p_2^- = e_{*2}^+ = N p_1^+)$  quanta of, let's say, "stellar matter"  $(p_1^+/e_1^-)$  in the solid surface of the star. This is "star stuff"  $(p_1^+/e_1^-)$  cannot interact with hydrogen  $(p^+/e^-)$ , but can emit muon antineutrino  $(p_1^+ \rightarrow \nu_\mu^-)$ , which in the Earth's atmosphere forms muons, which in decays give:  $(e^+)$  positrons:  $(Y \pm = \mu) = (X - = \nu_\mu^-)(Y + = e^+)(X - = v_e^-)$ . Or, quanta core of a mega star with  $(p_5^-/n_5^- = e_{*5}^-)$  emit quanta  $(p_5^- \rightarrow p_3^+)$  of matter, but generate quanta from the nuclei of galaxies  $(2 \cdot \alpha \cdot p_5^- = e_{*5}^+ = N p_4^+)$ . We see, as it were, the "surface" of the galaxy, but the core of such an object  $O\Lambda_{ji}(n)$  convergence, has a mass ranging from  $(10^{10} M_s)$  before  $(3.5 \cdot 10^{13} M_s)$  mass of the Sun.

We are talking about valid objects  $O\Lambda_{ji}(n)$  convergence, in the dynamic space-matter of the Universe. In this case, the calculated cause-and-effect relationships are indicated.

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AI Review of "Black holes"

[https://www.academia.edu/ai\\_review?attachment\\_id=123108586](https://www.academia.edu/ai_review?attachment_id=123108586)

### Summary

The manuscript presents a conceptual exploration of what the author refers to as "black spheres" or "black holes" through the lens of a proposed framework called "dynamic space-matter." This framework posits that there is no space without matter and no matter without space, suggesting that space is inherently dynamic and intertwined with matter. The work re-examines several foundational concepts, including Euclidean geometry, parallel lines, and properties of quantized space and mass, aiming to reconcile classical, relativistic, and quantum perspectives into a unified picture.

Central to the author's argument is the idea that the "angle of parallelism" can be non-zero, generating a multidimensional, dynamic geometry. The geometry is described through axioms that aim to account for observed phenomena, with particular attention paid to phenomena in the cores of planets, stars, and galaxies. The author also introduces a "Unified Theory 2" to describe mass, charge, and other physical quantities geometrically. The manuscript then connects these theoretical developments to the concept of a Schwarzschild sphere or "black hole," analyzing the notion of escape velocity and superluminal speeds.

## Strengths and Notable Aspects

### 1. **Ambitious Conceptual Framework**

The proposed “dynamic space-matter” framework is an ambitious attempt to unify various physical theories—classical physics, special relativity, and quantum mechanics—under a single geometric-physical concept. It emphasizes that space should be treated as part of matter rather than as a passive backdrop.

### 2. **Revisiting Euclidean Axiomatics**

By directly questioning the Euclidean postulates in the context of contemporary physics, the manuscript invites interesting perspectives on geometry’s foundational role in physics. The notion of a non-zero, dynamic angle of parallelism offers a novel take on curvature and parallel lines, potentially shaping new ways to visualize and model space-time.

### 3. **Connection to Fundamental Constants and Planck Scale**

The manuscript touches on important considerations such as the Planck scale, singularities, and the mathematical prohibitions of division by zero. This attention to foundational constants highlights efforts to frame known physical constraints in a broader theoretical context.

### 4. **Integration of Multiple Physical Quantities**

The author attempts to derive or connect physical observables like energy, mass, and charge back to fundamental geometric or “evolution criteria.” While still abstract, this is a noteworthy effort toward a unifying theoretical structure.

## Areas for Further Clarification and Development

### 1. **Mathematical Rigor and Definitions**

While the concept of dynamic space-matter is central, its formal mathematical definition remains somewhat abstract throughout the text. Providing a more rigorous mathematical treatment—such as explicit metric derivations, tensor forms, or well-defined transformations—would help readers better assess the plausibility and scope of the proposed framework.

### 2. **Physical Predictions and Testability**

The manuscript suggests that this approach is subject to experimental testing but provides limited concrete details on how such experiments or observations could be conducted. Expanding on specific predictions—astrophysical phenomena, cosmological signatures, or measurable quantities—would significantly strengthen the framework’s scientific relevance.

### 3. **Comparisons with Established Theories**

Although connections are made to Newtonian gravity, special relativity, and quantum theory, the text would benefit from a more systematic comparison. For instance, clarifying how the dynamic space-matter approach fits within or extends the standard model of cosmology or how black hole metrics (e.g., Schwarzschild, Kerr) translate under the new axioms would make the hypothesis more accessible to a wider physics audience.

### 4. **Organization and Flow of Ideas**

The text occasionally intersperses qualitative descriptions, equations, and references to various theoretical constructs without a clear progression. A more modular structure—such as providing a dedicated “theoretical framework” section, followed by a “black hole application” section—would help readers follow the logic step by step.

### 5. **Clarifying the Notion of “Black Spheres”**

While the manuscript points to a Schwarzschild-like radius and mentions light not escaping, it leaves some ambiguity around how exactly “dynamic space-matter” modifies or preserves the conventional interpretation of a black hole’s event horizon. Including a more explicit comparison or a figure illustrating how a “black sphere” might differ from standard black hole models would help demystify the concept.

## Concluding Remarks

The manuscript offers an unconventional and imaginative approach to understanding black holes by embedding them in a broader concept of dynamic space-matter. The proposed axioms challenge traditional geometric foundations and provoke thought about the relationship between space and matter. Striving for greater mathematical clarity, explicit physical predictions, and structured comparisons to existing models would aid in evaluating this framework more effectively.